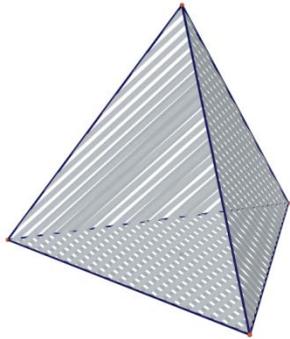
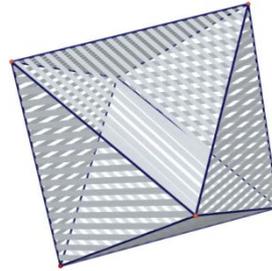


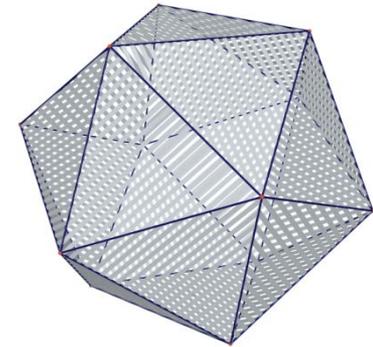
# Pravidelné konvexní mnohostěny – Platónská tělesa



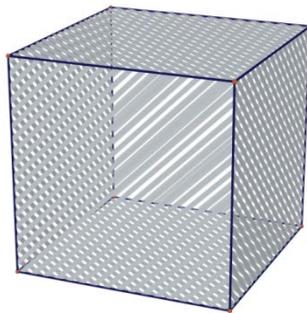
čtyřstěn (tetraedr)



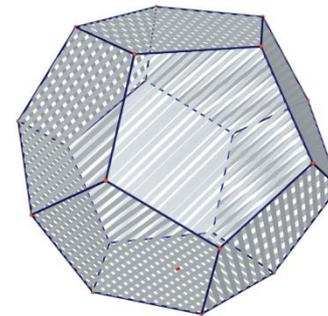
osmistěn (oktaedr)



dvacetistěn (ikosaedr)

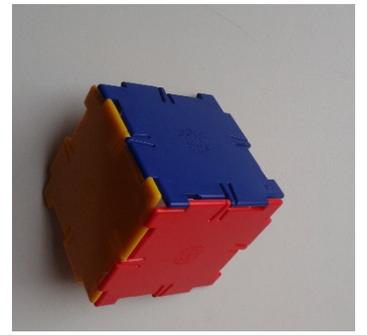


krychle (hexaedr)

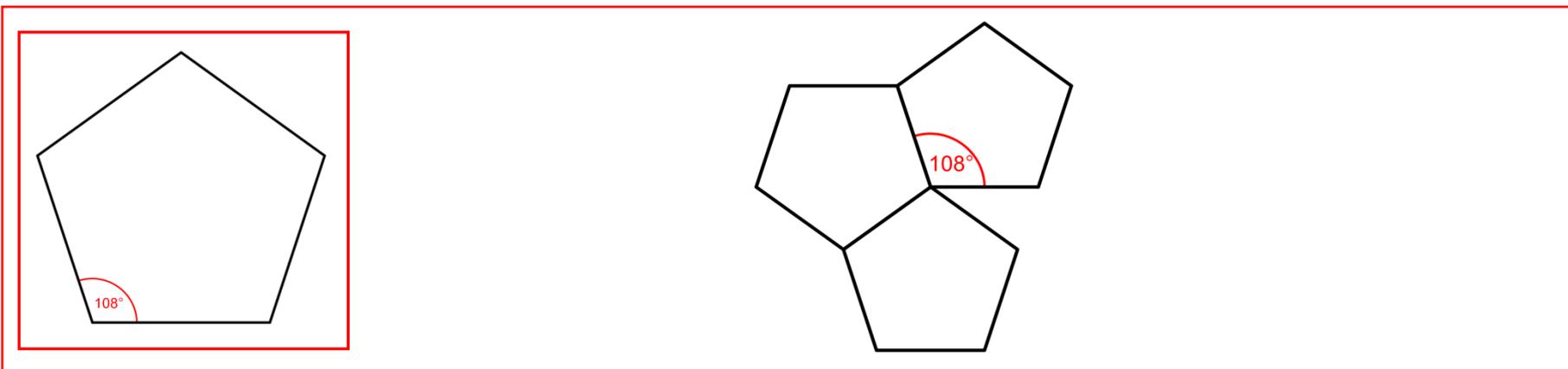
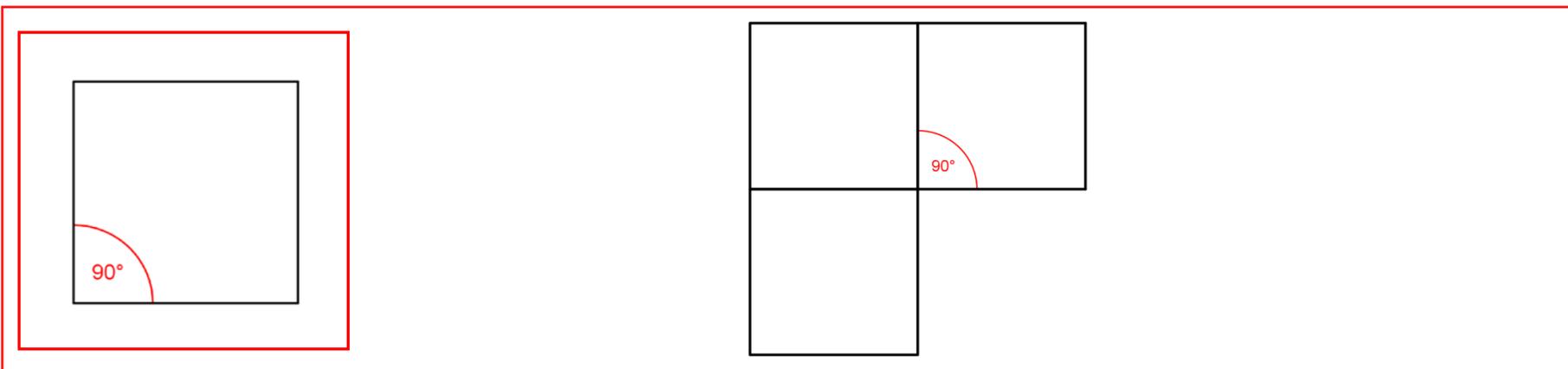
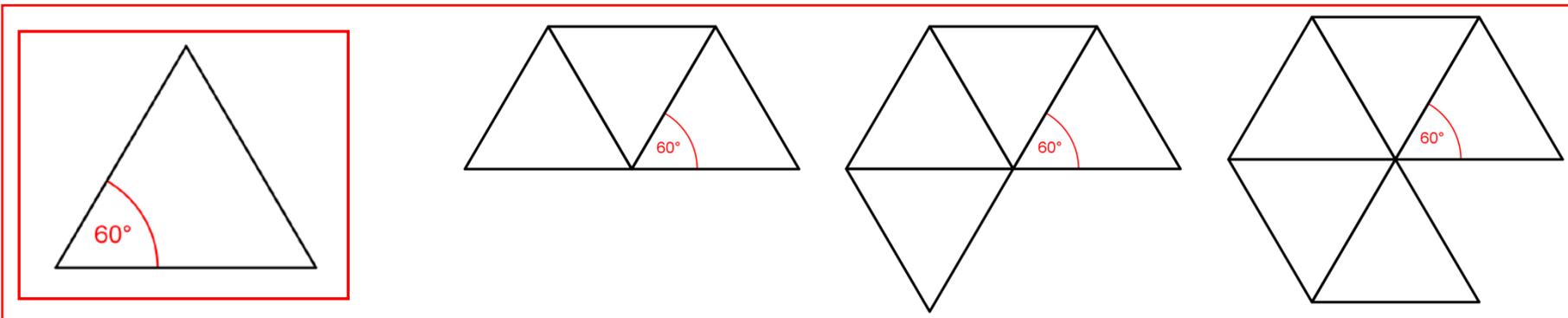


dvanáctistěn (dodekaedr)

# Pravidelné konvexní mnohostěny – Platónská tělesa



# Počet pravidelných konvexních mnohostrannů

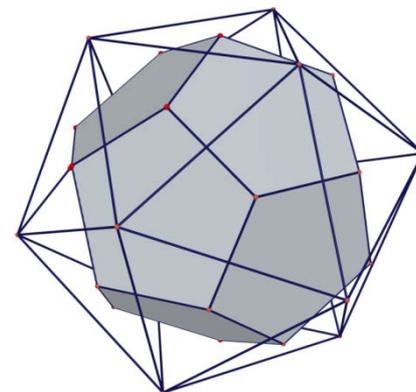
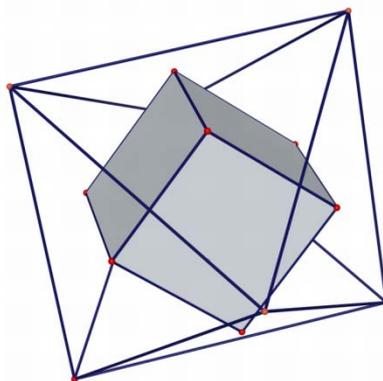
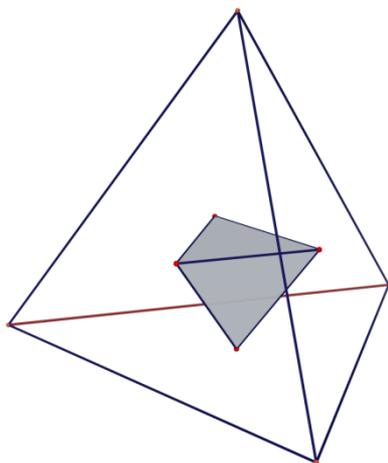


# Eulerův vztah

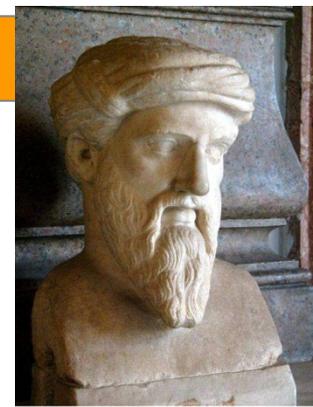
$$s + v - h = 2$$

| MNOHOSTĚN                | STĚNY (s) | VRCHOLY (v) | HRANY (h) |
|--------------------------|-----------|-------------|-----------|
| čtyřstěn (tetraedr)      | 4         | 4           | 6         |
| krychle (hexaedr)        | 6         | 8           | 12        |
| osmistěn (oktaedr)       | 8         | 6           | 12        |
| dvanáctistěn (dodekaedr) | 12        | 20          | 30        |
| dvacetistěn (ikosaedr)   | 20        | 12          | 30        |

## Duální mnohostěny



## Pythagoras ze Samu (570 – 495 př.n.l.)



Pythagorova škola – Pythagorovci

Není jisté, zda znali všechny pravidelné mnohostěny.

<http://en.wikipedia.org/wiki/Pythagoras>

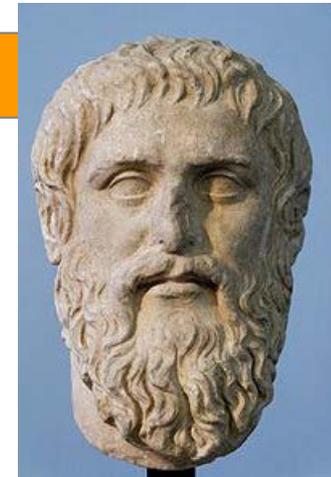
### Hyppasus (5. stol. př. n. l.)

člen Pythagorovců

dvě verze jeho smrti utopením – objevení iracionálních čísel nebo vepsání dvanáctistěnu kouli

<http://en.wikipedia.org/wiki/Hippasus>

## Platón (424/423 – 348/347 př.n.l.)



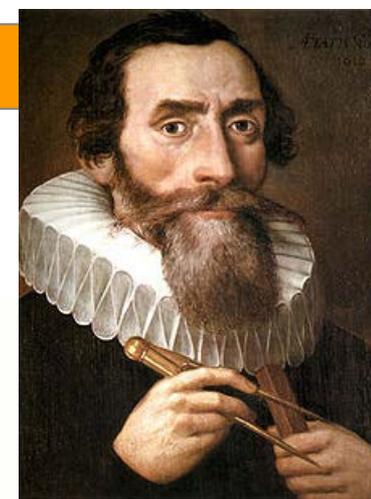
| MNOHOSTĚN                | s  | v  | h  | elementem |
|--------------------------|----|----|----|-----------|
| čtyřstěn (tetraedr)      | 4  | 4  | 6  | OHEŇ      |
| krychle (hexaedr)        | 6  | 8  | 12 | ZEMĚ      |
| osmistěn (oktaedr)       | 8  | 6  | 12 | VZDUCH    |
| dvacetistěn (ikosaedr)   | 20 | 12 | 30 | VODA      |
| dvanáctistěn (dodekaedr) | 12 | 20 | 30 | VESMÍR    |

<http://en.wikipedia.org/wiki/Plato>, [http://en.wikipedia.org/wiki/Platonic\\_solid](http://en.wikipedia.org/wiki/Platonic_solid)

**Theaetetus (417 – 369 př.n.l.)** - matematický popis pravidelných mnohostěnů. První důkaz, že jich je právě pět.

[http://en.wikipedia.org/wiki/Theaetetus\\_%28mathematician%29](http://en.wikipedia.org/wiki/Theaetetus_%28mathematician%29)

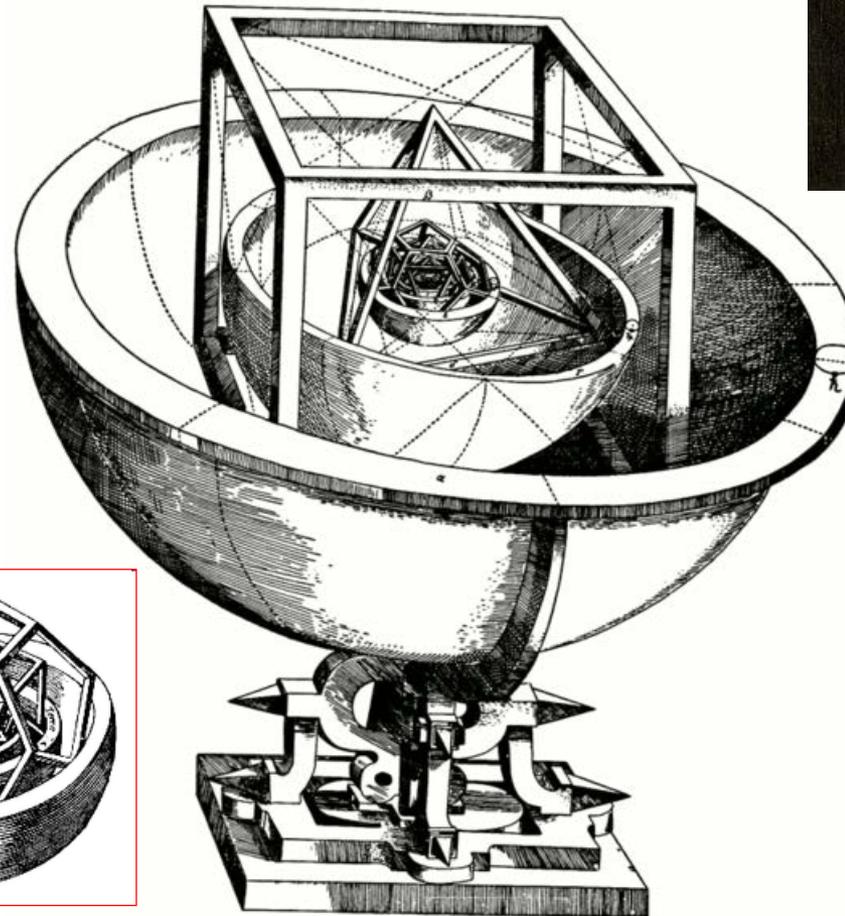
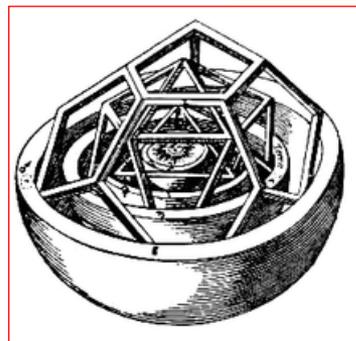
# Johannes Kepler (1571 – 1630 )



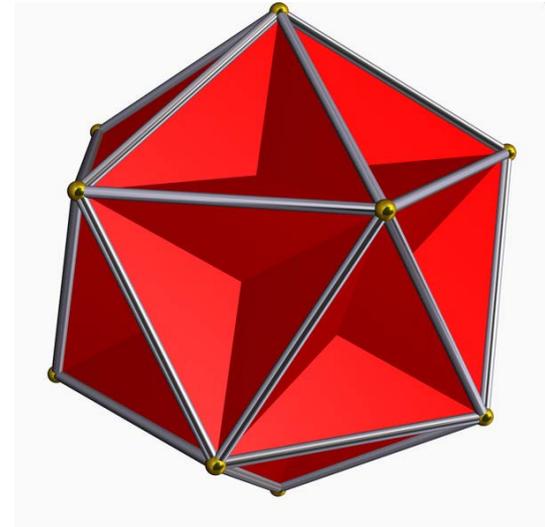
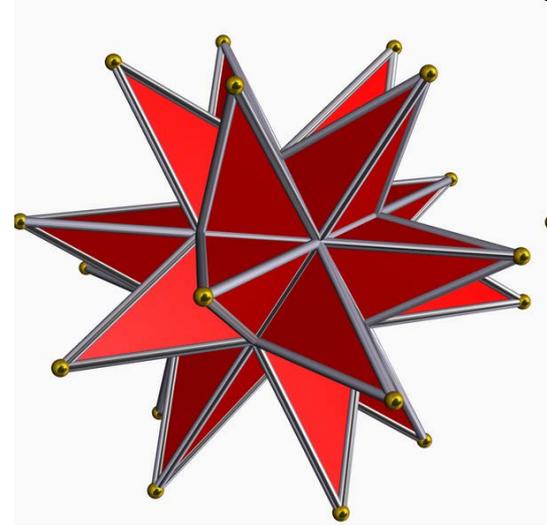
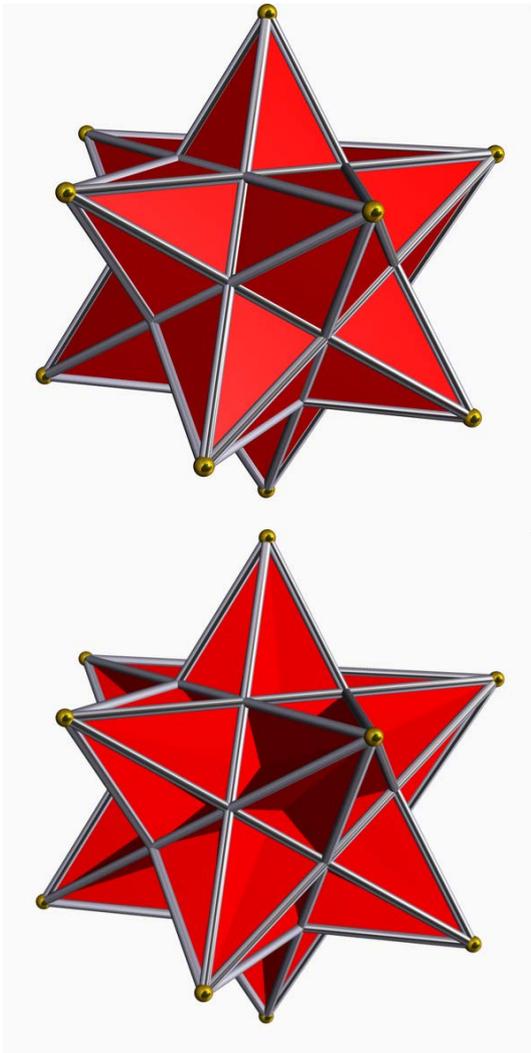
## Uspořádání planetárních sfér ve sluneční soustavě

[Mysterium Cosmographicum (1600)]

Saturn  
KRYCHLE  
Jupiter  
ČTYŘSTĚN  
Mars  
DVANÁCTISTĚN  
Země  
DVACETISTĚN  
Venuše  
OSMISTĚN  
Merkur  
Slunce



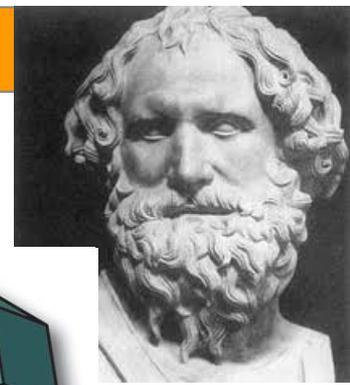
# Keplerovy – Poinsoťovy mnohostěny



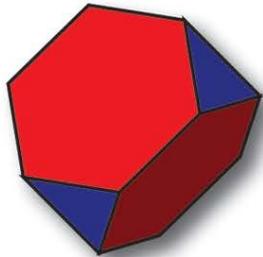
<http://mathworld.wolfram.com/Kepler-PoinsotSolid.html>  
[http://en.wikipedia.org/wiki/Kepler%E2%80%93Poinsot\\_polyhedron](http://en.wikipedia.org/wiki/Kepler%E2%80%93Poinsot_polyhedron)



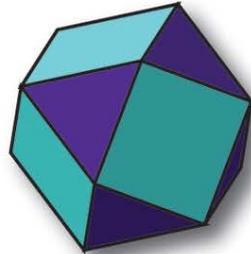
# Archimedes ze Syrakus (287 – 212 př.n.l.)



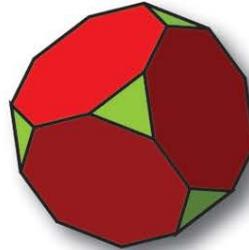
## Archimedovy / poloprávdelné mnohostěny



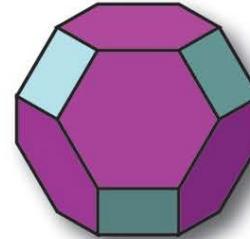
TRUNCATED TETRAHEDRON



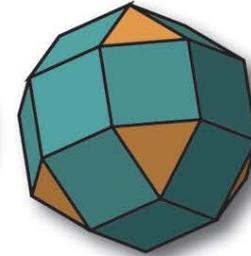
CUBOCTOHEDRON



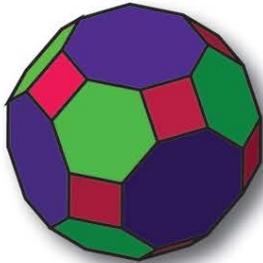
TRUNCATED CUBE



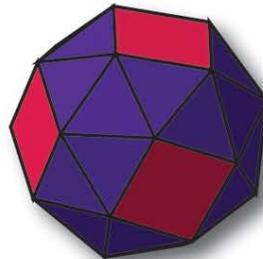
TRUNCATED OCTOHEDRON



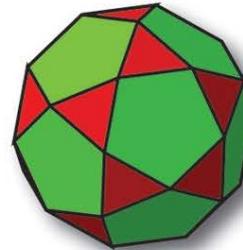
RHOMBICUBOCTOHEDRON



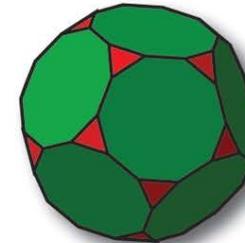
TRUNCATED CUBOCTOHEDRON



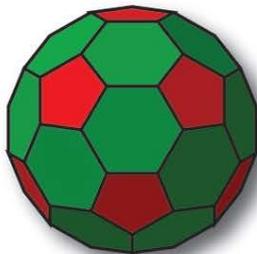
SNUB CUBE



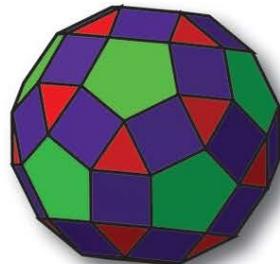
ICOSIDODECAHEDRON



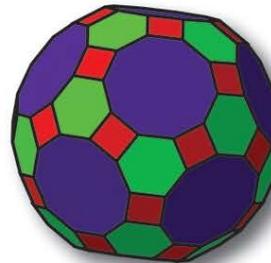
TRUNCATED DODECAHEDRON



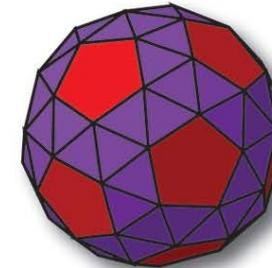
TRUNCATED ICOSAHEDRON



RHOMBICOSIDODECAHEDRON

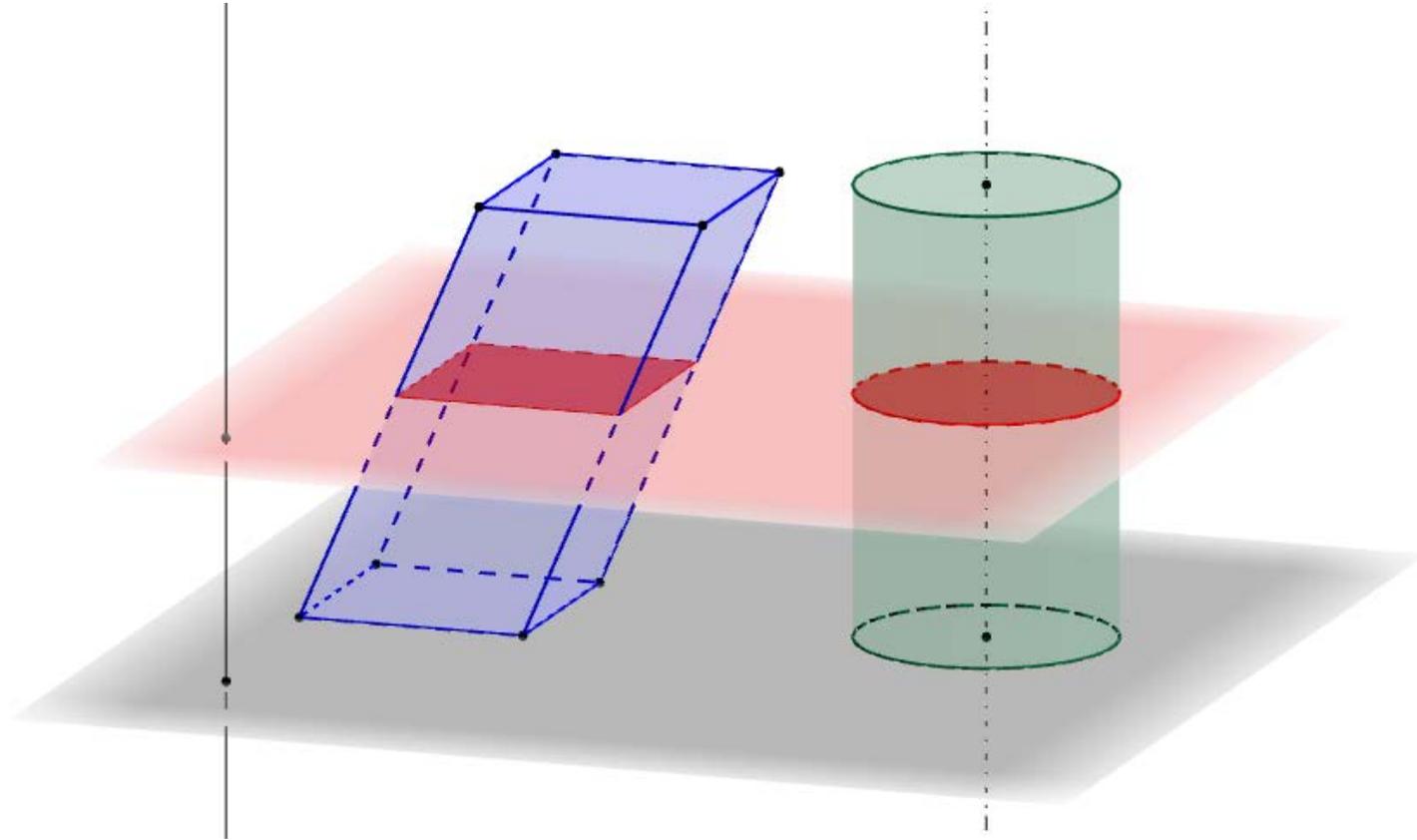


TRUNCATED ICOSIDODECAHEDRON



SNUB DODECAHEDRON

# Cavalieriho princip



## Cavalieriho princip

Jestliže pro dvě tělesa existuje taková rovina, že každá s ní rovnoběžná rovina protíná obě tělesa v rovinných útvarech o témže obsahu, pak mají obě tělesa stejný objem.  
(Bonaventura Cavalieri, 1598–1647, Itálie)

[http://en.wikipedia.org/wiki/Cavalieri%27s\\_principle](http://en.wikipedia.org/wiki/Cavalieri%27s_principle)

<http://www-groups.dcs.st-and.ac.uk/~history/Mathematicians/Cavalieri.html>